E Social Holidaying

Input: Standard Input
Output: Standard Output

"The Holiday Company" owns a large number of bungalows that were built in the olden days to host large, or extended, families during the holiday season. Instead of borrowing large sums of money to renovate the bungalows to smaller sizes suitable for today's families, the company's manager introduced the new concept of "social holidaying".

The idea of "social holidaying" is to accommodate two and only two families in a bungalow if the sum of sizes of the two families exactly equals the number of available beds in the bungalow.

For example, two is the largest number of possible pairing for a set of holiday requests by families with sizes 1, 2, 3, 5, and 5 in a resort with bungalows of sizes 3, 6, and 10. The possible pairings are (1 with 2) and (5 with 5).

Your task is to write a program to calculate the largest number of possible pairings of holiday requests. The input to your program consists of a set **R** of *n* holiday requests and a set **B** of *m* bungalow sizes. You should assume that there are a sufficiently large number of bungalows available for each size in **B**.

Input

The input starts with an integer **P** ($1 \leq \mathbf{P} \leq 100$), on a line by itself, that indicates the number of problem descriptions. Each problem description consists of three lines: The 1st line contains two integers, *n* and *m* that represent the sizes of the sets **R** and **B**, respectively. The 2nd line contains the *n* family sizes in **R**, and the 3rd line contains the *m* sizes of bungalows in **B**. The values in each line are separated by single spaces. $2 \leq n \leq 400$, and $1 \leq m \leq 100$.

Output

For each problem, the output is a single line consisting of an integer that is the maximum number of possible pairings.

Sample Input	Output for the Sample Input
2 6 4 1 2 3 4 4 5 6 9 3 5 5 4 1 2 3 4 5 6 9 3 5	3 2