## Seat Arrangement

## Description

HH is the TA of ACM 2016. The most tiring thing for him is to arrange the seat for everyone.

HH has known that there will be N students for ACM 2016 this year. However, due to some technical issue, there is only one round table remained. Fortunately, this round table has exactly N seats. Then, for convenience, HH numbers the seats from 1 to N in clockwise order. Also, HH numbers each student from 1 to N.

For some personal reason, HH hopes that for each student, he/she will sit on the seat which has close number. Formally, HH hopes that student numbered i will sit at seat numbered i or i + 1. Specially, for student numbered N, HH hopes he/she will sit at seat numbered N or 1.

However, at first day, K diligent students have come to the round table and find a seat to sit. Thus, HH can't arrange arbitrarily. Turning to another plan, HH hopes that at least M students can satisfy his hope(sit on the seat with close number). Thus, HH is wondering how many way to arrange rest of the students such that there are at least M students satisfying his hope.

## **Input Format**

The first line contains an integer T indicating the number of test cases. For each test case, first line contains three integer N, M, K. Following K lines, each line contains two integer  $A_i$ ,  $B_i$  indicating that student numbered  $A_i$  has taken the seat numbered  $B_i$ .

- $1 \le N \le 10^3$
- $0 \le M \le N$
- $0 \le K \le N$
- $1 \le A_i \le N$
- $1 \le B_i \le N$
- $\sum N \leq 5 \times 10^3$
- In a test case, all  $A_i$  will be distinct
- In a test case, all  $B_i$  will be distinct

## **Output Format**

For each test case, output one line indicating the number of way to arrange rest of the students such that there are at least M students satisfying his hope. Since the answer may be large, output it modules  $10^9 + 7$ .

Sample Input	Sample Output
3	5
4 2 1	14
1 2	1
4 2 0	
4 2 2	
1 3	
3 4	